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## DOI

10.1109/ISCAS48785.2022.9937619

Publication date
2022

## Document Version

Final published version

## Published in

Proceedings of the 2022 IEEE International Symposium on Circuits and Systems (ISCAS)

## Citation (APA)

Kumaran, A., Nemati, H. M., de Vreede, L. C. N., \& Alavi, M. S. (2022). Compact N-Way Doherty Power Combiners for mm-wave 5G Transmitters. In Proceedings of the 2022 IEEE International Symposium on Circuits and Systems (ISCAS) (pp. 438-442). (Proceedings - IEEE International Symposium on Circuits and Systems; Vol. 2022-May). IEEE. https://doi.org/10.1109/ISCAS48785.2022.9937619

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# Compact N-Way Doherty Power Combiners for mm-wave 5G Transmitters 

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#### Abstract

This paper presents a design procedure for compact lumped-element 3-/4-/5-way Doherty power combiners suitable for mm-wave 5G transmitters. Among them, the 3-way Doherty power combiner is favored due to its low complexity, compact layout, and average drain efficiency at 12 dB power back-off (PBO) when implemented using lossy lumped elements. Based on the metal stack of a 40 nm CMOS process, a 3-way Doherty power combiner can provide a simulated passive efficiency of more than $\mathbf{6 0} \%$ at $\mathbf{1 2} \mathrm{dB}$ PBO and a $10 \%$ drain-efficiency bandwidth $\left(B W_{\mathrm{DE} 10 \%}\right) / 3 \mathrm{~dB}$ power bandwidth $\left(B W_{3 \mathrm{~dB}}\right)$ of $8 / 15 \mathrm{GHz}$ at 30 GHz .


Index Terms-Doherty, Power amplifier, Transmission line, Lumped-element, Peak-to-average power ratio.

## I. Introduction

The millimeter-wave (mm-wave) spectrum is exploited in many upcoming applications, such as radar sensors and fifthgeneration (5G) cellular networks. The latter employ spectrally efficient complex modulation schemes with high peak-toaverage power ratios (PAPRs) to provide high data throughput to their users. Nevertheless, high PAPR requires a mm-wave transmitter (TX) to operate in power back-off (PBO), degrading its average efficiency (Fig. 1a).

Furthermore, 5G TXs demand sufficient radiated power to overcome the free space path loss. Accordingly, their link budget necessitates an average/peak TX power of more than $9 / 21 \mathrm{dBm}$, when assuming a 12 dB PAPR and $16 \times 16$ phasedarray antennas [1]-[4]. Consequently, techniques like N -way Doherty are exploited to deliver the required TX power levels with decent efficiency at PBOs [5]-[9]. This paper elaborates on the systematic design of N -way Doherty power combiners to improve their efficiency at 12 dB PBO that cannot be adequately addressed using 2-way Doherty topologies.

## II. Design of N-way Doherty networks

Figure 1 b depicts N -way Doherty combiners that are inspired from [5]. In this combiner, in deep PBO, when only the main power amplifier (PA) is active, the (direct) signal path between the main PA output and overall Doherty PA output entails minimal power loss. Moreover, its efficiency is only affected by the off-state impedance of the peak-1 PA. Note that, for a symmetrical 3-/4-/5-way Doherty, the deep back-off point happens at $9.5 \mathrm{~dB}, 12 \mathrm{~dB}$, and 14 dB , respectively, indicating that, at 12 dB PBO, 4-/5-way Doherty combiners are ideal candidates to enhance drain efficiency. The


Fig. 1: (a) Normalized drain efficiency, normalized average efficiency ${ }^{1}$, and normalized probability distribution function (PDF) of an OFDM signal vs. Pout for Class B and N-way Doherty, and (b) N-way Doherty structure.
following sub-sections disclose the design procedures of 3-/4-/5-way Doherty combiners and subsequently compare their performance at 12 dB PBO.

## A. 3-way Doherty PA

Figure 2a shows the 3-way Doherty structure using quarterwavelength transmission lines (TLs). Their characteristic impedances $\left(Z_{14}, Z_{23}\right.$, and $\left.Z_{34}\right)$ can be determined by analyzing the circuit's KVL and KCL at the back-off conditions ( $K_{2}$ and $K_{1}$ ) and its full (maximum) power. At the second back-off $\left(K_{2}\right)$, the following conditions are enforced for the voltage of the main PA $\left(V_{\mathrm{m} @ \mathrm{~K}_{2}}\right)$, the currents of the peak-1 PA $\left(I_{\mathrm{p} 1 @ \mathrm{~K}_{2}}\right)$, peak-2 PA ( $I_{\mathrm{p} 2 @ \mathrm{~K}_{2}}$ ) and main PA ( $\left.I_{\mathrm{m} @ \mathrm{~K}_{2}}\right)$ :

$$
\begin{align*}
V_{\mathrm{m}_{2} \mathrm{~K}_{2}}=V_{\mathrm{max}}=V_{\mathrm{DD}}  \tag{1}\\
I_{\mathrm{p} 1 @ \mathrm{~K}_{2}}=I_{\mathrm{p} 2 @ \mathrm{~K}_{2}}=0, I_{\mathrm{m} @ \mathrm{~K}_{2}}=I_{\mathrm{m} @ \mathrm{~F}} \cdot K_{2}
\end{align*}
$$

At the first back-off point $\left(K_{1}\right)$, the following conditions are inferred for voltages of the main PA $\left(V_{\mathrm{m} @ \mathrm{~K}_{1}}\right)$, peak-1 PA $\left(V_{\mathrm{p} 1} @ \mathrm{~K}_{1}\right)$, currents of peak-2 PA $\left(I_{\mathrm{p} 2 @ \mathrm{~K}_{1}}\right)$, main PA $\left(I_{\mathrm{m}_{1}} \mathrm{~K}_{1}\right)$, and peak-1 PA ( $I_{\mathrm{p} 1 @ K_{1}}$ ):

$$
\begin{align*}
V_{\mathrm{m} @ \mathrm{~K}_{1}} & =V_{\mathrm{p} 1 @ \mathrm{~K}_{1}}=V_{\max }=V_{\mathrm{DD}} \\
I_{\mathrm{p} 2 @ \mathrm{~K}_{1}}=0, I_{\mathrm{m} @ \mathrm{~K}_{1}} & =I_{\mathrm{m} @ \mathrm{~F}} \cdot K_{1}, I_{\mathrm{p} 1 @ \mathrm{~K}_{1}}=I_{\mathrm{p} 1 @ \mathrm{~F}} \cdot \frac{K_{1}-K_{2}}{1-K_{2}} \tag{2}
\end{align*}
$$

At its maximum power, the following conditions are assumed for voltages of the main PA $\left(V_{\mathrm{m} @ \mathrm{~F}}\right)$, peak-1 PA $\left(V_{\mathrm{p} 1 @ \mathrm{~F}}\right)$, and peak-2 PA ( $V_{\mathrm{p} 2 @ \mathrm{~F}}$ ):

$$
\begin{equation*}
V_{\mathrm{m} @ \mathrm{~F}}=V_{\mathrm{p} 1 @ \mathrm{~F}}=V_{\mathrm{p} 2 @ \mathrm{~F}}=V_{\max }=V_{\mathrm{DD}} \tag{3}
\end{equation*}
$$

[^0]

Fig. 2: 3-way Doherty network at (a) peak power, (b) back-off $K_{1}$, and (c) back-off $K_{2}$.


Fig. 3: (a) 4-way Doherty network at peak power and (e) 5-way Doherty network at peak power.

The back-off points can be defined as

$$
\begin{equation*}
K_{2}^{2}=\frac{P_{\mathrm{m}_{2} \mathrm{~K}_{2}}}{P_{\text {total } @ \max }}, K_{1}^{2}=\frac{P_{\mathrm{m}_{\mathrm{m} \mathrm{~K}_{1}}+P_{\mathrm{p} 1 @ \mathrm{~K}_{1}}}^{P_{\text {total } @ \max }}}{\text { m }} \tag{4}
\end{equation*}
$$

$$
\text { where, } P_{\text {total @max }}=P_{\mathrm{m} @ \max }+P_{\mathrm{p} 1 @ \max }+P_{\mathrm{p} 2 @ \max }
$$

Using the Eqs. (1) to (4), we can calculate ratios of the maximum current carried by main, peak-1, and peak-2 PAs.
$I_{\mathrm{m} @ m a x}: I_{\mathrm{p} 1 @ \max }: I_{\mathrm{p} 2 @ m a x}=$

$$
\begin{equation*}
\left[K_{2}: K_{1} \cdot\left(1-K_{2}\right):\left(1-K_{1}\right) \cdot\left(1-K_{2}\right)\right] \cdot I_{\max } \tag{5}
\end{equation*}
$$

where, $I_{\text {max }}=I_{\mathrm{m} @ \max }+I_{\mathrm{p} 1 @ \max }+I_{\mathrm{p} 2 @ \max }$
The optimum impedance that a single PA requires to deliver given maximum power is:

$$
\begin{equation*}
\text { Ropt }_{\max }=\frac{V_{\mathrm{DD}}^{2}}{2 \cdot \text { Pout }_{\max }}=\frac{V_{\mathrm{DD}}}{I_{\max }} \tag{6}
\end{equation*}
$$

At peak power, the optimum impedances seen by the main, peak-1, peak-2 PA are given by Eqs. (7) to (9).

$$
\begin{gather*}
\text { Ropt }_{\mathrm{m} @ \max }=\frac{V_{\mathrm{DD}}}{I_{\mathrm{m} @ \max }}=\frac{V_{\mathrm{DD}}}{I_{\max } \cdot K_{2}}=\frac{\text { Ropt }_{\mathrm{max}}}{K_{2}}  \tag{7}\\
\text { Ropt }_{\mathrm{p} 1 @ \max }=\frac{V_{\mathrm{DD}}}{I_{\mathrm{p} 1 @ \max }}=\frac{\text { Ropt }_{\mathrm{max}}}{K_{1} \cdot\left(1-K_{2}\right)}  \tag{8}\\
\text { Ropt }_{\mathrm{p} 2 @ \max }=\frac{V_{\mathrm{DD}}}{I_{\mathrm{p} 2 @ \max }}=\frac{\text { Ropt }_{\mathrm{max}}}{\left(1-K_{1}\right) \cdot\left(1-K_{2}\right)} \tag{9}
\end{gather*}
$$

At back-off $K_{2}$, the impedance seen by the main PA can be obtained by using Eqs. (1) and (7).

$$
\begin{equation*}
\text { Ropt }_{\mathrm{m} @ \mathrm{~K}_{2}}=\frac{V_{\mathrm{m} @ \mathrm{~K}_{2}}}{I_{\mathrm{m} @ \mathrm{~K}_{2}}}=\frac{V_{\mathrm{DD}}}{I_{\mathrm{m} @ \max } \cdot K_{2}}=\frac{\text { Ropt }_{\max }}{K_{2}^{2}} \tag{10}
\end{equation*}
$$

From the schematic in Fig. 2c, we can get the following equation:

$$
\begin{equation*}
Z_{14}=\sqrt{R_{\mathrm{L}} * \operatorname{Ropt}_{\mathrm{m} @ \mathrm{~K}_{2}}} \tag{11}
\end{equation*}
$$

The impedance seen by the main and peak1-1 PA at backoff $K_{1}$ is given by Eqs. (12) and (13), respectively.

$$
\begin{gather*}
\text { Ropt }_{\mathrm{m} @ \mathrm{~K}_{1}}=\frac{V_{\mathrm{m} @ \mathrm{~K}_{1}}}{I_{\mathrm{m} @ \mathrm{~K}_{1}}}=\frac{V_{\mathrm{DD}}}{I_{\mathrm{m} @ \mathrm{max}} \cdot K_{1}}=\frac{\text { Ropt }_{\max }}{K_{1} \cdot K_{2}}  \tag{12}\\
{\text { Ropt } t_{\mathrm{p} 1} @ \mathrm{~K}_{1}}=\frac{V_{\mathrm{p} 1 @ \mathrm{~K}_{1}}}{I_{\mathrm{p} 1} @ \mathrm{~K}_{1}}=\frac{\text { Ropt }_{\max }}{K_{1} \cdot\left(K_{1}-K_{2}\right)} \tag{13}
\end{gather*}
$$

From the schematic in Fig. 2b, we can get the following equation:

$$
\begin{equation*}
\frac{1}{Z_{\mathrm{a} @ \mathrm{~K}_{1}}}+\frac{1}{Z_{\mathrm{b} @ \mathrm{~K}_{1}}}=\frac{1}{R_{\mathrm{L}}} \tag{14}
\end{equation*}
$$

The impedance seen by each PA (main, peak-1, and peak-2) is given by Eqs. (7) to (9). From the schematic in Fig. 2a, we can obtain the following equation.

$$
\begin{equation*}
\frac{1}{Z_{\mathrm{a} @ \max }}+\frac{1}{Z_{\mathrm{b} @ \max }}=\frac{1}{R_{\mathrm{L}}} \tag{15}
\end{equation*}
$$

In this regard, from the three equations (Eqs. (11), (14), and (15)), the generalized equations for the characteristic impedance of the three TLs $\left(Z_{14}, Z_{23}\right.$, and $\left.Z_{34}\right)$ can be calculated in terms of Ropt $_{\mathrm{max}}, V_{\mathrm{DD}}, R_{\mathrm{L}}, K_{1}$ and $K_{2}$ (Eq. (16)).

$$
\begin{gather*}
Z_{14}=\frac{\sqrt{R_{\mathrm{L}} \cdot \text { Ropt }_{\mathrm{max}}}}{K_{2}}, Z_{23}=\frac{\text { Ropt }_{\mathrm{max}}}{K_{1} \cdot\left(1-K_{2}\right)}  \tag{16}\\
Z_{34}=\frac{\sqrt{R_{\mathrm{L}} \cdot \text { Ropt }_{\mathrm{max}}}}{\left(1-K_{2}\right)}
\end{gather*}
$$

## B. 4-way Doherty PA

Figure 3a depicts the 4-way Doherty network using quarterwavelength TLs. We can calculate the ratios of maximum current carried by the main, peak-1, peak-2, and peak-3 PAs by analyzing the circuit's KVL and KCL conditions at the back-off points ( $K_{1}, K_{2}$, and $K_{3}$ ) and the full power similar to its 3-way Doherty counterpart.

$$
\begin{align*}
& I_{\mathrm{m} @ \max }: I_{\mathrm{p} 1 @ \max }: I_{\mathrm{p} 2 @ \max }: I_{\mathrm{p} 3 @ \max }=\left[K_{3}: K_{2} \cdot(1-\right.  \tag{17}\\
& \left.\left.K_{3}\right):\left(1-K_{2}\right) \cdot\left(K_{1}-K_{3}\right):\left(1-K_{1}\right) \cdot\left(1-K_{2}\right)\right] \cdot I_{\max }
\end{align*}
$$

The characteristic impedance of its five TLs $\left(Z_{15}, Z_{2 X}, Z_{3 X}\right.$, $Z_{5 \mathrm{X}}$, and $Z_{34}$ ) can be calculated similarly to the 3-way Doherty network by analyzing the circuit at the back-off conditions ( $K_{1}$, $K_{2}$, and $K_{3}$ ) and maximum power, which gives four equations. Since the current delivered by peak-2 and peak-3 at the peak power is $\left(1-K_{2}\right) \cdot\left(K_{1}-K_{3}\right) \cdot I_{\max }$ and $\left(1-K_{1}\right) \cdot\left(1-K_{2}\right) \cdot I_{\max }$, respectively (Eq. (17)), we can calculate the ratio between the impedances $Z_{\text {c@max }}$ and Ropt $_{\text {p3@max }}$ (Eq. (18)) by applying KCL at node Y (see Fig. 3a), providing the $5^{\text {th }}$ equation. In this context, solving the five equations, we find that $Z_{2 X}, Z_{3 X}$, and $Z_{5 \mathrm{X}}$ have dependant relation, giving the designer one degree of freedom in choosing the characteristic impedance of either $Z_{2 X} / Z_{3 X} / Z_{5 X}$. The generalized characteristic impedance of the TLs can be calculated using Ropt $_{\max }, V_{\mathrm{DD}}, R_{\mathrm{L}}, K_{1}, K_{2}$, and $K_{3}$ (Eq. (19)).
$Z_{\mathrm{c} @ \max }=$ Ropt $_{\mathrm{p} 3 @ \max } \cdot \frac{1-K_{1}}{K_{1}-K_{3}}$
$Z_{34}=\sqrt{Z_{\mathrm{c} @ \max } \cdot \text { Ropt }_{\mathrm{p} 2 @ \max }}=\frac{\text { Ropt }_{\max }}{\left(1-K_{2}\right) \cdot\left(K_{1}-K_{3}\right)}$

$$
\begin{align*}
& Z_{15}=\frac{\sqrt{R_{\mathrm{L}} \cdot \text { Ropt }_{\text {max }}}}{K_{3}}, \quad Z_{2 \mathrm{X}}=\frac{\sqrt{R_{\mathrm{L}} \cdot \text { Ropt }_{\text {max }}} \cdot Z_{5 \mathrm{x}}}{K_{2} \cdot R_{\mathrm{L}}} \\
& Z_{3 \mathrm{X}}=\frac{\sqrt{R_{\mathrm{L}} \cdot \text { Ropt }_{\mathrm{max}}} \cdot Z_{5 \mathrm{x}}}{\left(1-K_{2}\right) \cdot R_{\mathrm{L}}}, Z_{34}=\frac{\text { Ropt }_{\text {max }}}{\left(1-K_{2}\right) \cdot\left(K_{1}-K_{3}\right)} \tag{19}
\end{align*}
$$

## C. 5-way Doherty PA

Figure 3 b exhibits the 5-way Doherty network using quarterwavelength TLs. We can calculate the ratios of maximum current carried by the main, peak-1, peak-2, peak-3, and peak4 PAs by analyzing the circuits' KVL and KCL at its back-off points ( $K_{1}, K_{2}, K_{3}$, and $K_{4}$ ) and the full power similar to its 3-way Doherty companion.

$$
\begin{align*}
& I_{\mathrm{m} @ \max }: I_{\mathrm{p} 1 @ \max }: I_{\mathrm{p} 2 @ \max }: I_{\mathrm{p} 3 @ \max }: I_{\mathrm{p} 4 @ \max }= \\
& {\left[K_{4}: K_{3} \cdot\left(1-K_{4}\right):\left(1-K_{3}\right) \cdot\left(K_{2}-K_{4}\right):\right.}  \tag{20}\\
& \left.\left(K_{1}-K_{3}\right) \cdot\left(1-K_{2}\right):\left(1-K_{3}\right) \cdot\left(1+K_{4}-2 K_{2}\right)\right] \cdot I_{\max }
\end{align*}
$$

The characteristic impedance of its seven TLs $\left(Z_{16}, Z_{2 X}\right.$, $Z_{6 X}, Z_{X Y}, Z_{3 Y}, Z_{5 Y}$ and $Z_{45}$ ) can be calculated by analyzing the circuit at the back-off conditions ( $K_{1}, K_{2}, K_{3}$, and $K_{4}$ ) and maximum power, giving five equations. The $5^{\text {th }}$ and $6^{\text {th }}$ equations can be obtained by applying KCL at node Y and Z at peak power similarly to its 4 -way Doherty counterpart (Fig. 3b). In this approach, by solving the seven equations, we find that $Z_{2 \mathrm{X}}, Z_{3 \mathrm{Y}}, Z_{5 \mathrm{Y}}, Z_{\mathrm{XY}}$, and $Z_{6 \mathrm{X}}$ have a dependent relation, providing the designer two degrees of freedom in choosing the characteristic impedance of two TLs among $Z_{2 \mathrm{X}}, Z_{3 \mathrm{Y}}, Z_{5 \mathrm{Y}}, Z_{\mathrm{XY}}$, and $Z_{6 \mathrm{X}}$. The generalized characteristic impedance of the TLs can be calculated using Ropt $_{\text {max }}, V_{\mathrm{DD}}$, $R_{\mathrm{L}}, K_{1}, K_{2}, K_{3}$, and $K_{4}$ (Eq. (21)).

$$
\begin{align*}
& Z_{16}=\frac{\sqrt{R_{\mathrm{L}} \cdot \text { Ropt }_{\mathrm{max}}}}{K_{4}}, Z_{2 \mathrm{X}}=\frac{\sqrt{R_{\mathrm{L}} \cdot R_{o p t_{\mathrm{max}}}} \cdot Z_{6 \mathrm{x}}}{K_{3} \cdot R_{\mathrm{L}}} \\
& Z_{3 \mathrm{Y}}=\frac{\sqrt{K_{3} \cdot R_{\mathrm{L}} \cdot \text { Ropt }_{\mathrm{max}} \cdot\left(K_{2}-K_{3}\right)} \cdot\left(1-K_{3}\right) \cdot Z_{\mathrm{XY}}}{K_{3} \cdot Z_{6 \mathrm{X}} \cdot\left(K_{3} \cdot K_{2}-K_{3} \cdot K_{4}-K_{2}+K_{4}\right)} \\
& Z_{5 \mathrm{Y}}= \\
& \frac{\sqrt{K_{3} \cdot R_{\mathrm{L}} \cdot \text { Ropt }_{\mathrm{max}} \cdot\left(K_{2}-K_{3}\right)} \cdot\left(1-K_{3}\right) \cdot Z_{\mathrm{XY}}}{K_{3} \cdot Z_{6 \mathrm{X}} \cdot\left(\left(2+K_{4}-3 \cdot K 2\right) \cdot K_{3}+\left(K_{1}+2\right) \cdot K_{2}-K_{1}-K_{4}-1\right)} \\
& Z_{45}=\frac{R o p t_{\max }}{\left(1-K_{2}\right) \cdot\left(K_{1}-K_{3}\right)} \tag{21}
\end{align*}
$$

The equations for symmetrical 3-/4-/5-way Doherty with their associated back-off points are presented in Table I.

## III. Analysis

In this section, we design the symmetrical 3-/4-/5-way Doherty PAs that can deliver a Pout $_{\text {max }}$ of 22 dBm to a load $\left(R_{L}\right)$ of $25 \Omega$ (for a single-ended Doherty PA) with a $V_{D D}$ of 1 V using equations in Table I. The TLs can be modeled using a high-pass lumped component model (Fig. 4a) at the center frequency of 30 GHz (Fig. $4 \mathrm{~b} / \mathrm{c} / \mathrm{d}$ ). Since the high-pass lumped component model allows a DC feed for each PA, a differential implementation is straightforward. As exhibited, moving from N to $\mathrm{N}+1$ Doherty, the number of TL elements increases by 2. Similarly, in the case of lumped components, inductors and capacitors increase by 2 .

The PAs are modeled as an ideal current source in ADS to analyze their output power (Pout) and drain efficiency (DE) of


Fig. 4: (a) High-pass and low-pass model of TL, (b) 3-way Doherty network, (c) 4-way Doherty network, and (d) 5-way Doherty network using lumped components.
TABLE I: COMPARISON OF 3-/4-/5-WAY DOHERTY COMBINERS.

| Parameters | 3-way Doherty | 4-way Doherty | 5-way Doherty |
| :---: | :---: | :---: | :---: |
| Transmission lines | 3 | 5 | 7 |
| Lumped components | Ind-4 \& Cap-3 | Ind-6 \& Cap-5 | Ind-8 \& Cap-7 |
| Degrees of freedom | 0 | 1 | 2 |
| Pout $_{\text {max }}$ per PA* <br> (dBm) | $\begin{gathered} \text { Pout }_{\max }-10 \cdot \log (3) \\ =17.2 \end{gathered}$ | $\begin{aligned} \text { Pout }_{\max } & -10 \cdot \log (4) \\ = & 16 \end{aligned}$ | $\begin{gathered} \text { Pout }_{\max }-10 \cdot \log (5) \\ 15 \end{gathered}$ |
| Back-off points* | $\begin{gathered} K_{1}=0.5, \\ K_{2}=0.333 \end{gathered}$ | $\begin{gathered} K_{1}=0.625, K_{2}=0.333, \\ K_{3}=0.25 \end{gathered}$ | $\begin{gathered} K_{1}=0.625, K_{2}=0.467, \\ K_{3}=0.25, K_{4}=0.2 \end{gathered}$ |
| Ropt for each PA <br> @max power* ( $\Omega$ ) | $\frac{\text { Ropt }_{\max }}{K 2}=9.6$ | $\frac{\text { Ropt }_{\max }}{K 3}=12.7$ | $\frac{\text { Ropt }_{\max }}{K 4}=15.9$ |
| $\begin{gathered} \mathbf{Z}_{0} \text { of } \\ \text { transmission lines* }(\Omega) \end{gathered}$ | $\begin{gathered} Z_{14}=3 \cdot \sqrt{R_{\mathrm{L}} \cdot \text { Ropt }_{\max }} \\ Z_{23}=3 \cdot \text { Ropt }_{\max } \\ Z_{34}=\frac{3 \cdot \sqrt{R_{\mathrm{L}} \cdot R o p t_{\max }}}{2} \end{gathered}$ |  | $\begin{gathered} Z_{16}=5 \cdot \sqrt{R_{\mathrm{L}} \cdot \text { Ropt }_{\max }} \\ Z_{2 \mathrm{X}}=\frac{4 \cdot \sqrt{R_{\mathrm{L}} \cdot R o p t_{\mathrm{max}}} \cdot Z_{6 \mathrm{X}}}{R_{\mathrm{L}}} \\ Z_{3 \mathrm{Y}}=\frac{3.5 \cdot \sqrt{R_{\mathrm{L}} \cdot \text { Ropt }_{\mathrm{max}}} \cdot Z_{\mathrm{XY}}}{Z_{6 \mathrm{X}}} \\ Z_{5 \mathrm{Y}}=\frac{3.5 \cdot \sqrt{R_{\mathrm{L}} \cdot R o p t_{\max }} \cdot Z_{\mathrm{XY}}}{2 \cdot Z_{6 \mathrm{X}}} \\ Z_{45}=5 \cdot \text { Ropt }_{\text {max }} \\ Z_{6 \mathrm{X}} \& Z_{\mathrm{XY}}-\text { user-defined } \end{gathered}$ |

the 3-/4-/5-way Doherty network at peak and back-off power levels at the mm-wave band centered around 30 GHz . According to Fig. 5a, the designed 3-/4-/5-way Doherty network using lossless lumped components obtain $3 / 4 / 5 \mathrm{DE}$ peaks of $78.5 \%$ (ideal Class B) as expected while delivering Pout $_{\max }=22 \mathrm{dBm}$. The peak DE can be improved further by utilizing class $\mathbf{J}$ or continuous class F PAs [10] [11]. Subsequently, the 3-/4-/5-way Doherty are modeled with lossy elements assuming quality factors (QFs) of $15 / 25$ for the inductors/capacitors, respectively, and simulated with an ideal PA to capture its Pout and DE at the mm-wave band centered around 30 GHz . According to Fig. 5a, the 5-way Doherty achieves a lower peak DE and Pout ${ }_{\text {max }}$ since the number of lumped components in the power combiner is higher, entailing higher loss.

At 12 dB back-off (Fig. 5b), the 3-way Doherty has the highest Pout since only the main PA is active. Nevertheless, the 5-way Doherty has the best DE performance because load modulation has already been started at $K_{4}=0.2$ and $K_{3}=0.25$. The 3-/4-way Doherty PAs have similar performance at 30 GHz because, in the 3-way Doherty, the load modulation has not been started, and in the 4 -way Doherty, load modulation has just been started (peak-1 PA turning on at $\left.K_{3}=0.25\right)$. On the other hand, the bandwidth at which DE drops by $10 \%\left(B W_{\mathrm{DE} 10 \%}\right)$ and 3 dB power bandwidth ( $B W_{3 \mathrm{~dB}}$ ) is maximum for 5-way Doherty followed by 3-/4-way Doherty at


Fig. 5: (a) DE vs. Pout for 3-/4-/5-way Doherty at 30 GHz using lossless and lossy lumped components, (b) DE and Pout vs. frequency for 3-/4-/5-way Doherty at PBO 12 dB , (c) PBO 6 dB , and (d) full power using inductors/capacitors of quality factors of $15 / 25$, respectively.


Fig. 6: (a) Layout of 3-way Doherty (b) DE vs. frequency for 3-way Doherty at 12 dB PBO and maximum power, and (c) PE vs. frequency for 3-way Doherty at 12 dB PBO, 6 dB PBO and maximum power using inductors/capacitors of quality factors of $15 / 25$, respectively, and momentum simulation of the layout. 12 dB back-off ( $B W_{\mathrm{DE} 10 \%} / B W_{3 \mathrm{~dB}}$ of 3-way Doherty is shaded in green/red in Fig. 5b/c/d). Additionally, at 6 dB back-off (Fig. 5c), DE performance is similar in all cases. Nonetheless, Pout is the highest for 4-way Doherty because its peak-3 PA has not turned on yet. However, in the 3-way Doherty, its three PAs are on, leading to higher current, higher losses, and thus lower Pout. In contrast, in the 5-way Doherty, although the related current is lower, the number of lumped components operating in the network is higher, giving rise to the higher loss, and thus, lower Pout. Their $B W_{\mathrm{DE} 10 \%} / B W_{3 \mathrm{~dB}}$ at 6 dB backoff is comparable. Figure 5d illustrates that DE and Pout at
maximum power are lower for 5 -way Doherty due to the higher number of lumped elements, entailing higher losses. These simulation results also indicate that DE and Pout at full power are similar for 3-/4-way Doherty. Moreover, $B W_{\text {DE10\% }}$ is lower at maximum power than the back-off points for all cases. It also reveals that $B W_{\mathrm{DE} 10 \%}$ at full power reduces as we move from 3- to 5-way Doherty (Fig. 5b/c/d).
Consequently, the 3-way Doherty is the best choice for implementing PA in mm-wave frequency bands. Moreover, employing a 4-way Doherty and beyond cannot deliver the required maximum power due to the higher insertion loss of lumped-element power combiner, although it requires lower impedance transformation. Furthermore, the performance of 3way Doherty is comparable with the 4 -way Doherty at 12 dB back-off and has better performance at peak power. Finally, it only consists of three quarter-wavelength TLs, giving rise to minimal lumped-element high-pass equivalent TLs and thus a compact power combiner.

The proposed 3-way Doherty structure is laid out in an LP 40 nm CMOS process (Fig. 6a) with a size of $519 \times 303 \mu m^{2}$. In this regard, QF of the spiral/slab inductors is increased more than twofold using parallel slot lines of minimum width than utilizing one thick line of the required width, as shown in Fig. 6a. Since the signal travels at the surface due to the skin effect, splitting the lines increases surface area, reducing resistance and increasing Q [12]. The ADS (Momentum) simulation results of the layout are depicted in Fig. 6b/c, which indicates at most $10 \%$ deviation in passive efficiency (PE) from the assumed lossy network. Also, the proposed layout reaches PE of $60 \%$ at 12 dB PBO while operating at 30 GHz . The center frequency has shifted to 26 GHz due to the addition of the ground plane, which affects the related inductance of the network. This arrangement can be tuned if necessary. Moreover, using an ideal PA, the proposed design achieves a peak RF output power/drain efficiency of more than $20 \mathrm{dBm} / 55 \%$, respectively, and its $B W_{\mathrm{DE} 10 \%} / B W_{3 \mathrm{~dB}}$ is $8 / 15 \mathrm{GHz}$, shaded green/red, respectively (Fig. 6b).

## IV. CONCLUSION

This paper elaborates on the systemic design procedure for 3-/4-/5-way Doherty PAs using transmission lines and lumped-element that can be extended to an N-way Doherty network. Accordingly, these power combiners are designed and compared using lossless and lossy components with quality factors of $15 / 25$ for inductors/capacitors at 30 GHz while their PAs are modeled as ideal current sources. According to these analyses, using a realistic Q factor for the inductors, we conclude that the 3-way Doherty network is the best candidate at mm-wave frequency bands since it has only four inductors and three capacitors, leading to less complexity, compact layout, and demonstrates a performance comparable to that of 4-way Doherty at 12 dB back-off. Finally, the 3-way Doherty is laid out in a 40 nm CMOS process metal stack, achieving a simulated peak RF output power/drain efficiency of $20 \mathrm{dBm} / 55 \%$ and $B W_{\mathrm{DE} 10 \%} / B W_{3 \mathrm{~dB}}$ of $8 / 15 \mathrm{GHz}$ at 30 GHz .

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[^0]:    ${ }^{1}$ Normalized drain efficiency is multiplied with the PDF of the signal and then a weighted average is performed to obtain average efficiency.

