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# Influence of irregularities in the rock underlayer on the stability of Xbloc<sup>Plus</sup>

Ileen van den Berg<sup>a,c,\*</sup>, Bas Hofland<sup>a</sup>, Bas Reedijk<sup>b</sup>

<sup>a</sup>Department of Civil Engineering, Delft University of Technology, Stevinweg 1, 2628 CN, Delft, The Netherlands

<sup>b</sup>Delta Marine Consultants, H.J. Nederhorststraat 1, 2800 AG, Gouda, The Netherlands <sup>c</sup>DPI — Dutch Process Innovators, Suikersilo Oost 33, 1165 MS, Halfweg, The

Netherlands

#### Abstract

Many rubble mound breakwaters are nowadays made with an armour layer consisting of single layer interlocking elements. The stability of these armour layers could well be influenced by the irregularity of the rock underlayer, as that influences the degree of interlocking. Especially for the new types of regularly placed armour, this might be an important factor for the stability. However, this aspect has not been studied widely yet. Therefore, this paper investigates the influence of irregularities in the underlayer on the stability of a type of single layer breakwater elements. Model tests have been conducted in which the irregularities in the underlayer were systematically varied. The irregularities in the underlayer and the orientations of breakwater elements were measured with 3D-scanning. The breakwater armour unit used in the tests is the Xbloc<sup>Plus</sup>. A new failure mechanism, not previously observed for breakwater elements, was found to initiate damage. Causing the armour to be pushed outward by a combined effect of the weight of the upper armour

<sup>\*</sup>Corresponding author; E-mail: i.vandenberg@dutchpi.com

and the excessive hydraulic pressure of the remaining water under the armour layer. Especially large-scale convex (i.e. protruding outwards) undulations in the cross-shore direction influenced the stability of the armour layer. This influence has been quantified.

*Keywords:* Breakwater, XblocPlus, armour layer stability, single-layer units, placement irregularity

### 1 1. Introduction

*Background.* Many rubble mound breakwaters are nowadays made with an 2 armour layer consisting of concrete, single layer, interlocking elements. These 3 armour layers obtain their stability not only from the weight of the single el-4 ement on the slope, but also from interlocking and/or friction forces between the elements. Irregularities of the underlayer, typically made with randomly 6 placed rocks of a smaller size, might influence the stability of the top layer 7 of breakwater elements [Loman et al., 2012]. Still, to the authors knowledge, 8 this aspect has hardly been studied. A logical explanation for the lack of 9 in depth research in this area is the difficulty in finding a strong correlation 10 between the underlayer configuration and the top layer stability. For ran-11 domly orientated elements not only the underlayer configuration influences 12 the stability of the elements, but also the element orientation and placement 13 densities [ten Oever et al., 2012]. Regularly placed elements such as the sin-14 gle layer cubes, Seabees and HARO's obtain their stability through lateral 15 friction and are less sensitive for irregularities according to Van Gent and 16 Luis [2013]. 17

18

Recently however, new regularly placed elements such as the C-ROC [Per-

rin et al., 2017] and the Xbloc<sup>Plus</sup>[Vos, 2017; Rada Mora, 2017] have been 19 developed to facilitate the placement procedure. The elements are placed 20 with both regular orientation and a regular placement grid, but obtain their 21 stability due to interlocking instead of lateral friction. The regular placement 22 reduces the fluctuations in element orientations and placement densities and 23 emphasizes the influence of the underlayer configuration on the interlocking 24 capacity and therefore the stability of the top layer. Especially since irregu-25 larities in the underlayer are the cause of fluctuations in placement densities 26 and element orientations. At present, the tolerances for the underlayer used 27 during the execution of breakwaters with single layer elements are mainly 28 based on the experience in practice [Van der Zwicht, 2015] and are chosen 20 such that the placement of the breakwater elements is facilitated. A detailed 30 study on the influence on the stability lacks, such that the quantitative in-31 fluence on the armour layer stability is unknown for any type of armour 32 unit. 33

Aim. It is suspected that irregularities in the underlayer are important for the
stability of regularly placed single layer elements. Hence this study focusses
on the influence of the irregularity of the underlayer on the stability of the
top layer. Possibly leading to guidelines for design criteria and construction
tolerances.

We want to know how the stability of the armour layer is influenced by the size and direction of the distortions of the (otherwise straight) underlayer. The main parameters that are of importance to the stability will be identified and their influence will be quantified. Approach. The element used during the research is the Xbloc<sup>Plus</sup>, which is
depicted in figure 1. Previous research on the element is used to provide
insight in the mechanisms that are important for the stability of the element. The ongoing development programme of the new breakwater element
Xbloc<sup>Plus</sup>, provided an interesting opportunity for a study on the influence
of the underlayer on their stability.

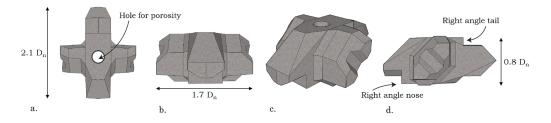


Figure 1: Shape of Xbloc<sup>Plus</sup>, a) top view, b) front view, c) isometric view, d) side view

It is hypothesized that the stability of the elements decreases with de-49 creasing radius of the distortions of the (otherwise straight) underlayer. 50 Moreover, it is thought that the direction of the irregularities is of impor-51 tance. These hypotheses were tested in 2D hydraulic model tests, where the 52 irregularities were systematically varied, and the actual irregularities were 53 measured in 3D. The results of the tests are used to validate the hypotheses 54 and are further analysed to explain the observations. From the analysis fol-55 lows the conclusion on how the stability is influenced and which aspects are 56 of importance to predict the level of stability. 57

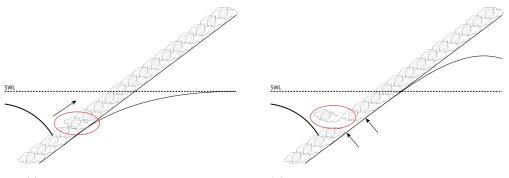
<sup>58</sup> *Outline*. The evaluation of previous research on the element is found in the <sup>59</sup> next section. Based on this knowledge hypotheses are formed (section 3) on <sup>60</sup> which the test program and model set-up are based (section 4). In section 5 <sup>61</sup> the processing of the 3D-data is explained, followed by the actual test results in section 6. The analysis is explicated in section 7, resulting in the discussion
and conclusions.

#### <sup>64</sup> 2. Previous research

The Xbloc<sup>Plus</sup> is an element that can be placed on straight, or in longitudinal direction slightly curved breakwater or revetment sections. The elements, shown in figure 1, are placed such that the same faces of the elements touch the elements underneath. Resulting in a regular placement, with both a uniform grid and an uniform orientation. The blocks are typically placed on a 3:4 slope.

Multiple modifications have been applied during the development of the 71 Xbloc<sup>Plus</sup>. The results of the research performed on these earlier versions have 72 gained insight in the influence of the modification and thereby on the aspects 73 that are of importance for the stability of the element. The first version of 74 the Xbloc<sup>Plus</sup> was without the hole in the middle of the element and with 75 chamfers instead of right angles at the nose and tail of the element (figure 1). 76 The mechanism that governed the stability of this version was identified by 77 Vos [2017]. The conclusion of the research was that failure occurred due to 78 rotation of an element due to the drag during up-rush, after which extraction 79 occurred as a result of uplift pressure on the armour layer (figure 2). 80

For the second version the hole was added to enlarge the porosity and reduce the uplift pressure. An increase in stability proved that the excessive uplift pressure is indeed a dominant factor for the stability. To improve the stability further, the interlocking capacity was enlarged by replacing the chamfers by right angles (figure 1). This improved the stability to such extent



(a) Rotation of element due to up-rush (b) Extraction of element due to uplift pressure

Figure 2: Failure mechanism for the first version of Xbloc<sup>Plus</sup>[Vos, 2017]

that failure no longer occurred at the tested scale and available wave facility. 86 The maximum achieved stability number  $N_s = H_s / \Delta D_n$  was 4.0, where  $H_s$  is 87 the incoming significant wave height,  $\Delta$  the submerged dimensionless density, 88 and  $D_n$  the nominal diameter of the element [Jacobs, 2017]. So the limit 89 value of the stability number for this breakwater element was concluded to 90 be higher than 4.0. Although it must be marked that these tests were done 91 with a fixed toe and no safety margins have been included. As the tests were 92 done with a straight, well-placed slope, the question arose how susceptible 93 the element was to irregularities of the underlayer. 94

Several damage mechanisms have been identified for single layer break-95 water elements [Garcia et al., 2013]. Rocking is not very important for the 96 Xbloc<sup>Plus</sup> as all elements are embedded. Since the replacement of the cham-97 fers for the right angles, this phenomenon has only been observed directly 98 before extraction. Also a displacement of the toe structure was seen to loosen 90 the packing of several single layer armour types, which can lead to extrac-100 tion of elements and failure of the armour layer [Hofland and van Gent, 2016]. 101 This potential cause of damage was not tested yet for the Xbloc<sup>Plus</sup>. 102

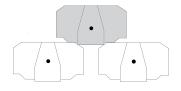
It has been discussed before that the underlayer can influence the top layer stability for single layer (cubes) [Loman et al., 2012]. For the C-Roc block only the grading width of the underlayer was varied somewhat  $(M_{85}/M_{15} =$ 1.8 to 4.2, where  $M_{85}$  and  $M_{15}$  are the 85% and 15% percentiles of the grading curve of the underlayer rock). It was reported that this change of the underlayer did not noticeably change the stability of the top layer [Perrin et al., 2017].

Detailed 3D measurements of the toplayer surface of a Cubipod armour layer have been performed by Pardo et al. [2013]. The goal of this research was to measure the amount of randomness, which needed to be maximized for this particular breakwater element type, while the current research is focussed on small deviations from a regular pattern.

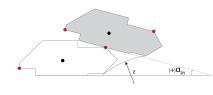
#### 115 3. Hypotheses

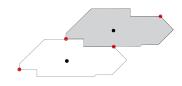
The improved stability due to the introduction of the right angles at the 116 nose and tail of the Xbloc<sup>Plus</sup> elements indicates the influence of interlocking 117 on the level of stability. Therefore, it was expected that the amount of 118 interlocking would be a key factor for the influence of irregularities in the 119 underlayer on the stability of the Xbloc<sup>Plus</sup>. Hence, theoretical relative angles 120 between elements were determined for which the elements were no longer 121 sufficiently interlocked and a significant drop of stability was expected. For 122 the cross shore angles, the interlocking is lost when the right angle below the 123 nose of the upper unit no longer hooks behind the lower unit. Long shore 124 the interlocking was lost when the 'wings' of the elements were no longer 125 supported by the two lower elements. The angles for which interlocking was 126

lost were determined for each combination of shape (convex and concave) and
direction (cross shore and long shore). These critical angles are indicated in
Figure 3. An overview of the expected critical relative angles is given in
Table 1.

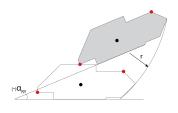


(a) Correct placement in x-direction (long shore)

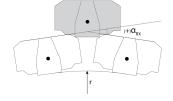




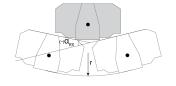
(b) Correct placement in y-direction (cross shore)



(c) Positive relative angle (convex) in ydirection (cross shore)



(d) Negative relative angle (concave) in ydirection (cross shore)



(e) Positive relative angle (convex) in x-(f) Negative relative angle (concave) in x-direction (long shore)direction (long shore)

Figure 3: Definitions of critical relative angles and radii, pertaining to upper (grey) elements in the figures

The shapes in long shore direction were expected to be the least critical, since these shapes only cause a distortion of the grid and no direct loss of interlocking. The initial rotation caused by a convex shape in cross shore

Direction	Shape configuration	Relative angle	Critical radius
Cross shore	Convex	(+) 23°	3.0 D <sub>n</sub>
	Concave	(−) 15°	$4.4  \mathrm{D_n}$
Long shore	Convex	(+) 38°	$3.0 D_n$
	Concave	(-) 18°	$6.0 D_n$

Table 1: Expected critical values

direction is similar to the rotation in the first stage leading to failure (figure
2a). Therefore, this configuration was expected to be critical. For a regular
Xbloc, a convex (protruding), cross shore undulation was also seen to be the
most influencing type of irregularity [Brouwer, 2013].

Next, these critical angles have been translated to the radius of curvature of the underlayer, for which these angles are expected to occur (also indicated in figure 3). It is hypothesized that this radius of curvature of the underlayer is of influence on the stability of the layer, and that a strong decrease of stability occurs if the occurring curvature becomes smaller than these critical curvatures.

The previously determined hypotheses were also expected to be valid for more realistic configurations. Relevant realistic configurations are microirregularities with length scales of several diameters of the rock of the underlayer (see figure 4a) and S-profiles [Van der Meer, 1988] that can be present in the underlayer due to small storms during construction (figure 4b).

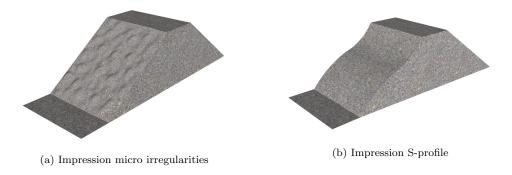


Figure 4: More realistic irregularities

#### <sup>149</sup> 4. Model set-up

The influence of irregularities on the stability of the Xbloc<sup>Plus</sup> is determined by performing physical model tests. The cross section of the tested structure is depicted in figure 5.

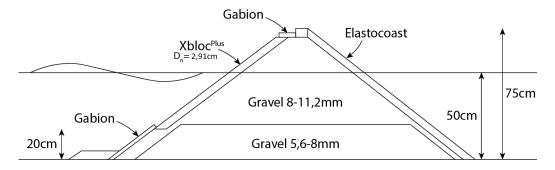


Figure 5: Cross section of the model structure geometry

The tests are performed with a slope of 3:4 because a steep slope is expected to be more conservative with regards to the stability [Angremond et al., 2008]. The freeboard was chosen to be 2.5 times the  $H_{s,design}$ .  $H_{s,design}$  is the design wave height chosen by block developers Delta Marine Consultants as the wave height that leads to a conservatively stable stability number of 2.5. The maximum tested  $H_s$  is 1.5 times this  $H_{s,design}$ . Resulting in relatively few waves reaching the crest of the structure. This was chosen such because
the stability of the crest is not an objective of this research.

The model elements had a  $D_n$  of 2.91cm, a relative density of 1.36 g/l, a width of 4.88cm, a height of 2.44cm, and a length of 6.19cm. The Reynolds number  $(\sqrt{\mathrm{gH}_{\mathrm{s,design}}}D_n/\nu)$  is below  $3 \cdot 10^4$  and therefore underneath the limit where non-developed turbulent flow inside the porous medium starts to influence the stability of the top layer [Dai and Kamel, 1969].

The guideline of DMC for the  $W_{50}$  ratio between the underlayer and breakwater elements is between 1/10 and 1/20. The underlayer and core are of the same grading to prevent deviations in thickness of the underlayer, that could influence the results by causing a varying porosity. The combined core and underlayer is chosen to be of the standard grading of 8-11.2mm, which gives a  $W_{50}$  of  $\approx 1/20$ .

The crest and toe are outside the scope of this study and built with a higher stability than expected in reality to prevent failure at these locations. The target fictitious deep water wave steepness was  $s_{op}=0.04$ . Which is a commonly used wave steepness to represent wind waves in design storms [Angremond et al., 2008].

The model tests are conducted in the wave flume of Delta Marine Consultants in Utrecht, the Netherlands. This flume is 60cm wide, 100cm high and has a length of 25m. All tests are performed with a constant water depth of 50cm and without a foreshore to prevent breaking of the waves before the structure is reached. The maximum applied wave height is  $H_s =$ 16cm. The waves are irregular based on a JONSWAP-spectrum with  $\gamma=3.3$ and each test consists out of 1000 waves. The flume has a piston-type wave <sup>184</sup> board with an Active Reflection Compensation system, which damps out the<sup>185</sup> reflected waves.

Test program. The total test program is subdivided into seven test-sections, 186 each test-section is testing a specific type of irregularity and consists out of 187 various test series. All test series are conducted with different sizes and/or 188 locations of the type of irregularity. In total 26 test series have been per-189 formed, with a total of 177 test runs. Each test series consisted of two to six 190 separate test runs with stepwise increasing wave height by 20% or 10% until 191 damage occurred, or until the limit of the wavemaker was reached. Some 192 representative conditions of the various test runs are given in table 2 193

Test run	H <sub>s</sub>	$T_{p}$	$N_s$	$\frac{H_{0.1\%}}{H_s}$
1	0.0639	0.99	1.6	1.94
2	0.0834	1.14	2.1	1.93
3	0.102	1.29	2.6	1.85
4	0.122	1.40	3.1	1.77
5	0.132	1.42	3.3	1.62
6	0.138	1.55	3.5	1.73
7	0.146	1.58	3.7	1.56
8	0.154	1.57	3.9	1.52

Table 2: Representative test conditions per run

Out of the 26 test series, only 11 series resulted in failure. This limits the certainty of when exactly failure will occur. However, the tests without failure do yield a conservative lower bound for the critical damage number.

The test program is divided in three separate parts. Part I consists of test-197 section 1, and has the goal to determine the stability without any intentional 198 irregularities. It is the reference case to which the other test-sections can be 199 compared to and the effect of the irregularities is determined with. Part II 200 covers test-sections 2 up to 5, which are the series with macro irregularities 201 in different directions and shapes. The goal of this part of the test program 202 is to either validate or disprove the stated hypotheses. In part III, the final 203 part of the test program, more realistic configurations are tested. Part III 204 comprises test-sections 6 and 7. 205

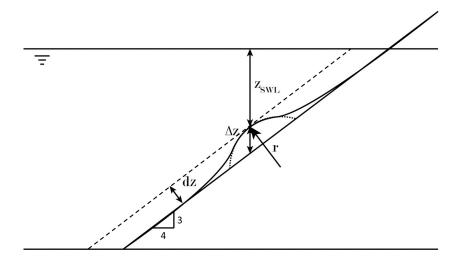


Figure 6: Aspects relevant for target size and location

For part II, each series within the test-section has a different size and/or location of the specific type of irregularity. An overview of all the different series and their specific irregularities is given in Table 3. The target values for the size and location of the irregularities is also given in this table. The target value for the radius of the irregularity is given relative to the hypothetical critical radius. The maximum vertical deviation from the design profile is given as  $\Delta z$ . The location of the irregularity along the profile is given relative to the Still Water Level, indicated by  $z_{SWL}$ . Both values are given relative to the breakwater element size (D<sub>n</sub>). Figure 6 shows the geometrical notations.

		Irregularity type			Target size and location				
Part	Section	Direction	Shape	Series	$\frac{r}{r_{hyp}}$	$\frac{dz}{D_n}$	$\frac{z_{SWL}}{D_n}$	# Runs	$N_{s,max}$
I	1	N.a.	Straight slope	1	n.a.	n.a.	n.a.	8	> 3.9
II	2	Cross shore	Convex	1	1.0	1.0	-3.4	5	3.3
				2	1.2	1.0	-3.4	8	> 3.9
				3	0.8	1.0	-3.4	2	2.0
				4	1.0	0.8	-3.4	7	3.8
				5	1.0	1.0	0.0	8	> 4.1
	3	Cross shore	Concave	1	1.0	1.0	0.0	8	> 4.2
				2	0.8	1.0	0.0	8	> 3.9
				3	1.0	1.0	-3.4	7	3.7
				4	1.0	1.0	-1.7	8	> 3.9
	4	Long shore	Convex	1	1.0	1.0	n.a.	8	> 3.9
				2	1.2	1.0	n.a.	8	> 4.0
	5	Long shore	Concave	1	1.0	1.0	n.a.	8	> 3.9
				2	1.0	1.0	n.a.	8	> 4.2
				3	0.8	1.0	n.a.	8	> 4.0

Table 3: Overview test configurations, part I and II

In part III the irregularities are present over the full length and width of 215 the test area. In test-section 6 the irregularities are randomly applied, there-216 fore the sizes are not specific but an estimated value. The values are given in 217 table 4. The S-profile configurations in test-section 7, are made by applying 218 a certain  $H_s/\Delta D_n$  to the underlayer.  $D_n$  is the nominal model element di-219 ameter of the side of the volume equivalent cube, which is approximately 20 220 times the  $D_{n50}$  of the underlayer. Multiple tests have been done with differ-221 ent wave heights and durations of application, an overview of the differences 222 is given in table 5. If another size of underlayer is used than was used for the 223 present tests, or if different wave heights occur during construction, different 224 S-profiles can occur in the under layers. Hence the size of the irregularity 225

(dz) is used as the parameter to quantify the influence of the irregularity onthe block stability.

			Irre	gularity type		Target size			
Pa	art	Section	Direction	Shape	Series	Below SWL $\left[\frac{dz}{D_n}\right]$	Above SWL $\left[\frac{dz}{D_n}\right]$	# Runs	$N_{s,max}$
I	II	6	All	Micro	1	1.0	1.0	8	> 4.0
				irregularities	2	1.1	1.1	8	> 3.9
				(figure 4a)	3	1.2	1.2	8	3.7
					4	1.2	1.0	6	3.1
					5	0.8	0.8	8	> 3.9

Table 4: Overview test configurations, part III test-section 6

		Irregularity type			Applie	ed waves		
Part	Section	Direction	Shape	Series	$\frac{H_s}{\Delta D_n}$	Duration [min]	# Runs	$N_{\mathrm{s,max}}$
III	7	Cross shore	S-profiles (figure	1	1.5	$\approx 7$	3	2.6
			4b)	2	1.5	$\approx 2$	8	> 3.9
				3	1.5	$\approx 5$	3	2.5
				4	1.0	$\approx 10$	6	3.5
				5	1.3	$\approx 10$	6	3.7
				6	1.4	$\approx 10$	4	3.1

Table 5: Overview of test configurations, part III test-section 7

The number of series within each test-section was not known beforehand 228 and is based on the output of the previous tests. The goal is to obtain the 229 stability parameter for different sizes of the irregularities, so a critical value 230 can be determined. If failure occurs during an early run, the next test is 231 performed with an irregularity of a smaller size. Vice versa, the irregularity 232 is increased when failure occurs at high wave heights or not at all. The 233 irregularity is not increased beyond the boundaries of what would be realistic 234 in practice. In that case the test program is continued with the next test-235 section. 236

#### 237 5. Digital Elevation Model processing

The angle of the elements relative to its neighbouring elements is consid-238 ered to be the aspect of interest. Therefore, the orientations of all elements 239 in the test section needed to be measured. The orientations were obtained 240 from a Digital Elevation Model (DEM). This DEM was obtained from a 241 point cloud that was created with Autodesk ReCap, based on about 50 pho-242 tos made by a Huawei P9lite 13 Mpix mobile phone camera. The conversion 243 from 3D-point clouds to DEM and subsequent processing was done in Python. 244 Each test configuration was measured both at the beginning of the test 245 series and after the last test was performed. At these moments the configura-246 tion of both the underlayer and the armour layer were measured, unless the 247 damage after the test runs was too severe for the model to be meaningful. At 248 the beginning of each test two sets of 40-60 photos were made, from which 249 three models were created. One model of each photo set and one model of (a 250 random selection of) the combined photo sets. The multiple DEM's enable 251 us to estimate the accuracy of the recordings, and averaging over the three 252 models reduces the random errors. At the end of the test series only one set 253 of photos was taken. 254

The ReCap program calculates a point cloud from the set of photos, which is shown in figure 7. The point clouds have 41000 to 45000 points in the region of interest. From the point cloud the points in the test section are extracted. For each point the x,y,z-coordinates and the RGB color values are determined. The z-axis is defined upward from the bottom of the flume, the y-axis in the length of the flume and the x-axis over the width of the flume with its origin at the left side of the flume (facing the slope). All the

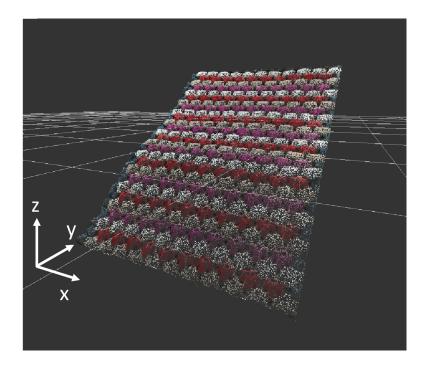


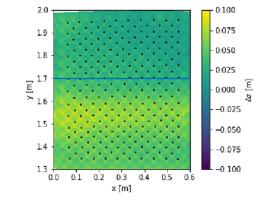
Figure 7: Example ReCap point cloud

models are fixed in the same axial system by using four fixed targets. Two on each side of the wave flume, one at the level of the crest and one just above the first row of breakwater elements. Each target of each model is selected manually in ReCap. To reduce errors in the target registration the zoom function of the program was used and each target has been selected on at least eight pictures.

The point cloud is loaded into Python and reinterpolated onto a regular x,y-grid for further processing, resulting in a DEM with a grid spacing of 0.00025m.

Next, the separate elements need to be identified. With the x,y-coordinates and the colour values a top view is compiled from which the element locations are determined with the MatchTemplate routine by OpenCV [Docs.opencv.org]. The element locations are checked visually during processing, in both the compiled top view and the plot of the z-coordinates relative to the straight target profile (without irregularity). Figure 8 shows an example of these top views of the DEM of a test series 1 from section 2 (convex in cross shore direction) with indications of the automatically identified locations of the elements.





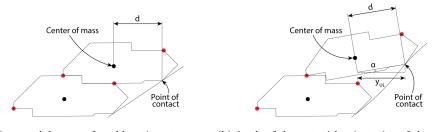
(a) Compiled top view with element locations

(b) Plot 3D-coordinates with element locations

Figure 8: Check of element locations of section 2 (convex in cross section) test series 1

The orientation of the top of the element is determined in x and y direction at the element locations and recalculated into angles. To prevent small measurement errors from affecting the result, the slope is averaged over a square area of 25mm<sup>2</sup> in the x,y-plane, around the centre of mass of the element. This area was chosen as a compromise between cancelling out model noise and preventing errors due to inaccuracy of the element locations.

The corresponding orientation of the underlayer at the element locations are measured as well. This is measured at the location were the tail of



(a) Distance d, between found location at center(b) Angle of element with orientation of elementof mass and contact point with underlayertaken into account

Figure 9: Calculating corresponding location underlayer

the breakwater element contacts the underlayer, as is depicted in figure 9. To prevent single grains from affecting the slope of the profile, the DEM is smoothed with a Gaussian filter with a standard deviation equal to the  $D_{n50}$ of the underlayer. The result of smoothing is depicted in figure 10, in which indeed it can be seen that the individual grains are smoothed out while the larger profile deviations are maintained.

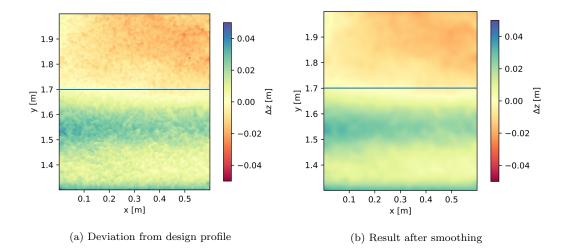


Figure 10: Effect from electronic smoothing of underlayer test series 1 section 2 (convex in cross section)

Further reduction of measurement errors is accomplished by averaging the angles of each location over the three models that have been made at the same moment. After averaging, the relative angles are calculated.

In y-direction the relative angle  $(\alpha_{RY})$  is calculated as the angle of the element minus the average angle of the two supporting elements underneath. In x-direction the relative angle  $(\alpha_{RX})$  depends on the two elements underneath, it is calculated as the angle between the two elements. The exact definitions of the positive and negative relative angles for both directions is visualised in figure 3.

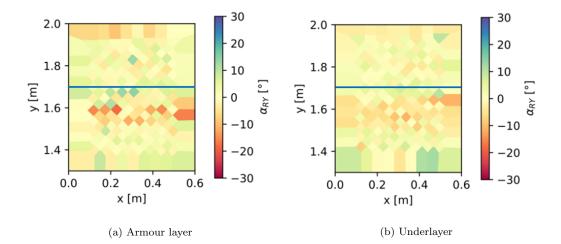


Figure 11: Calculated relative angles of section 2 (convex in cross section) test series 1

The results of the relative angles for the same case are visualised at the locations of the elements as in figure 11. These fields with relative angles have been created for all test series.

For all test series, the relative angles are extracted for the breakwater element where failure occurred and related to the N<sub>s</sub> for which the failure occurred. If no failure occurred the maximum measured values of  $\alpha_R$  and  $N_{\rm s}$  are taken. This constitutes the final information that is used for further analysis. The same is done with the relative angle of the corresponding underlayer.

The three ReCap models made at the same moment are compared to indicate the accuracy of the data. For each test series the three models have been compared to the average of the three models combined.

The average standard deviation of each point over the three models is less 315 than 1mm. The maximum deviation between the models is 5mm. This max-316 imum deviation however, occurs at the transition between elements. At the 317 top of the element, where the data for the element orientation is extracted, 318 the maximum deviation is 3mm. For the underlayer there are exceptions 319 where the deviation is 5mm, most models have a maximum deviation of 320 3mm. The calculated angles have an average standard deviation of 2.2° for 321 the armour layer and 0.4° for the underlayer in both x- and y-direction. The 322 errors are expected to be random and to be further reduced by averaging 323 over the three models. 324

#### 325 6. Test results

All tests were executed according to plan. In many test series, no extraction of units could be obtained for the top layer with the capabilities of the wave facility. In these series it could only be concluded that  $H_s/\Delta D_n>4$ .

The hypothesis are based on the assumption that the orientation of the breakwater elements is influenced by the condition of the underlayer. In Figure 12 an example is shown of the S-profiles where it can be seen that the measured angles of the underlayer indeed correspond to the measured angles

333 of the element orientations.

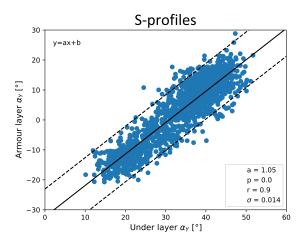
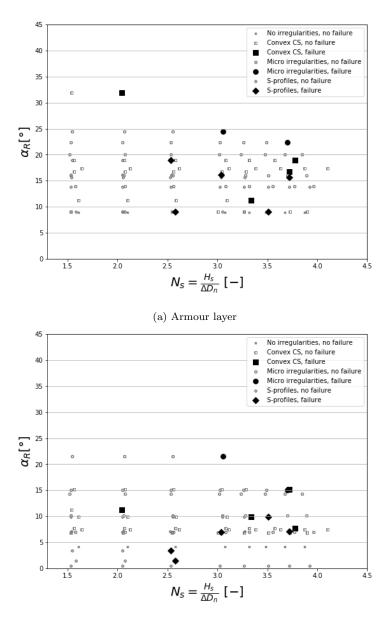


Figure 12: Correlation between angles measured for S-profile tests in underlayer and amour layer

The convex shape in cross shore direction resulted to be, as expected in 334 the hypotheses, the most critical configuration. This was the only shape for 335 which failure occurred during the test program. For the other shapes and 336 directions no failure occurred and these tests are thus not further discussed 337 in this paper. Also in Part III of the test program, failure occurred only at 338 the areas with a convex shape in cross shore direction. The measured relative 339 angle of the failed elements are related to the  $N_s$  for which failure occurred. 340 The preceding tests without failure are given for reference in Figure 13. 341

For both the armour and underlayer a large spreading can be seen in the results and no clear dependency between  $\alpha_{RY}$  and  $H_s/\Delta D_n$  can be derived. The measured relative angles of the underlayer are smaller than the resulting angles of the elements. This is expected to be an effect of the smoothing applied to the measured underlayer.



(b) Corresponding underlayer

Figure 13: Correlation  $\mathrm{N_s}$  and  $\alpha_R;$  black markers indicate failure

It is observed during the tests and from the test results that test series with approximately the same relative angles had an earlier failure when the

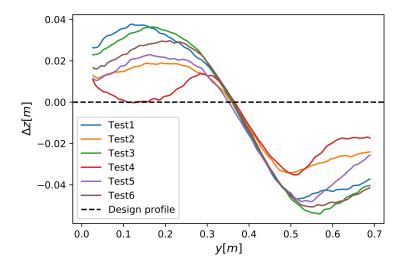


Figure 14: Measured deviations of the underlayer from the design profile of the S-profiles in test section 7

<sup>349</sup> deviation from the design profile was larger. An example of the differences
<sup>350</sup> in deviation from the design profile is given in Figure 14.

Additionally, it was observed during the tests that, especially during sudden failure, the lower part of the slope moved away from the slope and the upper part moved downward. This was also seen in the measurements of the vertical differences between the start and end of the test series, as well for test series that failed as for test series where no failure occurred (Figure 15).

### 356 7. Analysis

The large spreading in the test results indicated that the relative angles between neighbouring elements are not the only factor of influence. It was seen that configurations with approximately the same relative angle  $(\alpha_R)$  but a larger deviation from the design profile resulted in earlier failure. Which led

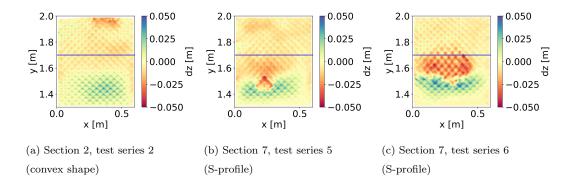


Figure 15: Measured difference in vertical elevation of the armour layer between start and end of test series

to the expectation that the deviation from the design profile influences the 361 stability as well. The results showed that more specifically the steepness of 362 the lower part of the convex shape is a good indicator of the influence on the 363 stability. For many types of elements, a steeper slope decreases the strength 364 of the top layer [Hudson, 1959]. Subsequently, this steepness is influenced by 365 both the absolute deviation from the design profile and the length over which 366 the deviation occurs. This is expressed in the additional parameter  $\beta$ , which 367 is the average additional angle resulting from the deviation from the design 368 profile. Measured as the angle resulting from the length (L1) between the 369 lower edge of the protrusion  $(\Delta z' \approx 0)$  and the top of the convex shape and 370 the difference at the top of the convex shape between the measured profile 371 and the design profile, as is visualised in Figure 16. 372

Parameter  $\beta$  is considered to be zero for the (small scale) micro irregularities. With this assumption taken into account, empirical results showed that the summation of  $\alpha_R$  and  $\beta$  results in a significant reduction of the spreading in the results as can be seen in Figure 17.

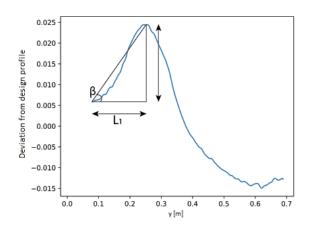


Figure 16: Visualisation  $\beta$ 

The resulting trend line of the armour layer is given by equation 1. The trend line of the corresponding underlayer is given by equation 2.

Armour layer: 
$$N_s = -0.1(\alpha_R + \beta) + 5.7$$
 (1)

$$Underlayer: N_s = -0.3(\alpha_R + \beta) + 8.2 \tag{2}$$

The influence of  $\beta$  on the stability of the profile can be explained on the basis of an extremely simplified model. The model is based on the S-profiles since the influence of  $\beta$  was seen best during testing in these profiles.

In the model the elements above and underneath the top of the convex shape are considered to be two rigid bodies. Thus assuming that the elements inside the rigid bodies are fully interlocked. The lower rigid body is fixed with a hinge at the lower edge of the protrusion and linked with a hinge to the upper rigid body. The upper rigid body is considered to be connected to the design profile with a roller bearing by means of a hinge. The schematisation

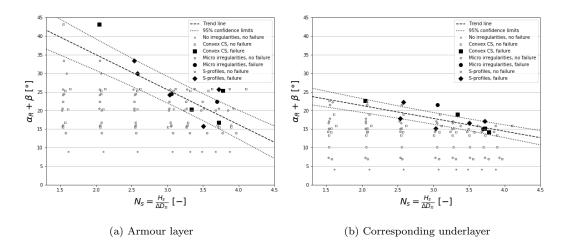


Figure 17: Correlation N<sub>s</sub> and  $\alpha_R + \beta$ 

and visualisation of the simplified model is given is Figure 18.

The up- and down-rush of the waves takes place along the upper rigid 389 body. The most critical moment is considered to be during maximum run-390 down. Assumed is that the gravity force of the upper rigid body is then fully 391 counteracted by the pressure force underneath the body. The only modelled 392 force on this body is the effective drag force (Fd<sub>eff</sub>). The effective drag force 393 is the drag force, complemented by the weight of the elements above the 394 convex section, minus the friction of the underlayer. This force causes a 395 rotation of both the rigid bodies resulting in an enlarged relative angle. The 396 only modelled force on the lower rigid body is the gravity force. This is the 397 resistive force against the movement of the rigid bodies. 398

The angles  $\alpha_R$  and  $\beta$  are dependent of each other, this relation can be described by the following formula.

$$\alpha_R \approx \beta \left( 1 + \frac{L_1}{L_2} \right) \tag{3}$$

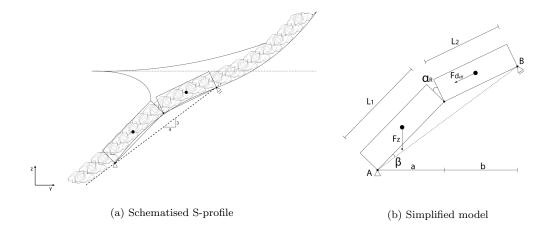


Figure 18: Schematisation of S-profile into simplified model

An increase of  $\beta$  results a reduction of the leverage arm of the resistive 401 force around point A. Thereby reducing the resistance against rotation of the 402 rigid bodies. An increase of  $\alpha_R$  enlarges the leverage arm of the acting force 403 (Fd<sub>eff</sub>) around point A and induces the rotation of the rigid bodies. Thereby 404 explaining the influence of these parameters on the stability. If the resistive 405 moment is smaller than the acting moment, the rigid bodies are lifted away 406 from the underlayer. Resulting in an enlargement of the convex shape and 407  $\alpha_R$ , ultimately causing failure. 408

The movements indicated by the simplified model, have been measured 409 in the tests. For tests both with and without element extraction, as can 410 be seen in Figure 15. The movements seen in the measurements however 411 slightly deviate from the movements indicated by the simplified model. Since 412 the upper rigid body fully subsides in the simplified model instead of only 413 partially, as can be seen in the measurements. This difference could be due 414 to the fault that the model does not take the movements of the underlayer 415 into account. When the lower elements move away from the underlayer, the 416

<sup>417</sup> underlayer is no longer stable and the grains will move downward. Which<sup>418</sup> causes the upper rigid body to subside.

The analysis indicates that the relative angle between the elements at the top of the convex shape  $(\alpha_R)$  determines whether it is possible for the element to be extracted from the profile. The steepness  $(\beta)$  of the slope downward from this point however, can cause an enlargement of  $(\alpha_R)$  and therefore influences the level of stability as well.

#### 424 8. Discussion

The wavemaker is piston-type, a rule-of-thumb for the maximum gener-425 ated waves in a given water depth is around half the water depth, i.e. 0.25m. 426 The maximum applied wave height is  $H_s = 0.16m$ , assuming Rayleigh dis-427 tribution and 1000 waves, the maximum wave height should be around 0.31428 m. This means that the maximum waves in the extreme sea state will break 429 near the wavemaker, so the wave height distribution is trimmed in the upper 430 tail. This is one of the possible reasons the maximum waves in the sea states 431 were not achieved (see table 2) and as a consequence, initiation of damage 432 was not reached in most of the test series carried out. 433

The radii of the hypothetical critical irregularities in cross shore direction were much smaller than the length of the profile. This introduces an additional parameter that is of influence for the damage: the position of the irregularity ( $z_{SWL}$ , see figure 6). Research on a previous version of the XblocPlus showed that the expected location of damage (initial extractions) occurred between 1.0 and 1.5 Hs below the still waterline [Rada Mora, 2017]. Most effect of the irregularity could then reasonably be expected with the

irregularity placed around that depth. The irregularities were mostly placed 441 at a depth of 3.4  $D_n.$  Thus, for a typical stability number  $H_s/(\Delta D_n)$  of 2.5, 442 the irregularity was placed at roughly  $1 H_s$  under the water line, and for the 443 maximum stability number of 4.0, the top of the irregularity was placed at 444  $0.5 H_{\rm s}$ . Therefore the irregularity was placed around the location of high-445 est wave attack, but possibly somewhat high for the tests with the largest 446 wave heights. The obtained test results confirm the influence of the depth 447 of the irregularity, since for example in series 5 of section 2 a higher placed 448 irregularity resulted in less damage. 449

As stated above, initial extractions of units typically occurred between 450 1.0 and  $1.5 H_{\rm s}$  below the water line [Rada Mora, 2017]. This damage location 451 around the rundown point of the waves is remarkable, as for typical rubble 452 mound (rock) slopes initial extraction often occurs around the water line, 453 where flow velocities are highest [De Almeida et al., 2019]. This location 454 could indicate that for this rather impermeable top layer, the damage is 455 (partly or largely) induced by excessive water pressures under the armour 456 layer during rundown of the wave, as occurs for placed-block revetments 457 [CUR, 1995]. 458

The  $D_{n50}$  of both the core and underlayer are of the same size and gradation. This choice has been made to prevent the thickness of the underlayer to influence the results by introducing a variable permeability. Both the  $D_{n50}$ and gradation have been chosen relatively small. The small element size is expected to give a conservative result with respect to the stability [Burcharth and Andersen, 1995] and the grading is expected to have no significant influence [Perrin et al., 2017].

The toe of the tested model was fixed and thus too stable in relation to 466 what would be designed in practice. At the locations where the armour layer 467 was located on a protruding (convex) irregularity under the mean water line 468 damage occurred during wave rundown. The armour layer at this location 469 was pushed outward by a combined effect of the weight of the upper armour 470 and the excessive hydraulic pressure of the remaining water under the armour 471 layer. This is less likely to occur with a toe structure that is barely sufficient. 472 Failure could then occur due to sliding of the toe, causing the breakwater 473 elements to slide along the slope as well. A lower crest of the structure may 474 result in the upper elements to be critical for damage, since the elements 475 gain stability by the weight of the elements above. 476

In this paper, the main slope was seen to be rather stable, and rela-477 tively large irregularities seemed to be needed to significantly decrease the 478 stability of the blocks. However, in the tests a straight slope with a high non-479 overtopped crest and with a fixed toe was considered. In realistic designs, 480 the origin of failure is often located at these outer edges of the slope (toe and 481 crest). Hence these items are a next item for further research. The toe could 482 slide away, when an entire Xbloc<sup>Plus</sup>layer can place force on the toe, as was 483 observed for single layer cubes [Hofland and van Gent, 2016]. The upper rows 484 are not stabilized by the weight of rows on top of them, so for lower-crested 485 structures this might be the limiting factor for stability. The first application 486 of the Xbloc<sup>Plus</sup> is the Afsluitdijk in the Netherlands, where 6.5 tonne units 487 are placed. Here the blocks are used on the lower slope. Hence the highest 488 element which is much less stable deserved extra attention [Janssen, 2018]. 489

490

The Xbloc<sup>Plus</sup> units resemble other recently developed units like cubes

that are placed in a single layer, the so-called C-ROC, and Seabees, as dis-491 cussed in the introduction. These units can / are also placed in a regular 492 fashion, they obtain their stability mainly from friction, and they are placed 493 with such high density that pressures can build up underneath the layer. 494 Therefore it is likely that these units have a similar tolerance for uneven 495 placement as the presently studied unit. Hence when testing these types of 496 units a similar procedure with irregular placement of the under layer could 497 be followed. Moreover, the composition of the under layers is an important 498 characteristic of the design, as the pressures under the armour layer during 499 run down will be a function of the permeability of the under layer relative 500 to that of the amour layer. Conversely, damage mechanisms that have been 501 observed for other units (like the sliding of the toe due to the pressure of 502 a single layer of cubes), might well be expected to be an important failure 503 mechanism for the Xbloc<sup>Plus</sup>. 504

The authors could not find much literature on the failure process of similar 505 single layer units. Most knowledge is developed in-house at licence holders, 506 and most findings seem to be reported in grey literature. Still we think it is 507 important that these failure mechanisms of similar units should be reported, 508 and based on the mechanisms that occur with other units. Hence, even 509 though this paper is based on tests on one type of unit, the authors believe 510 that the data and analyses presented might be relevant as it can serve as a 511 reference point for the studies on other types of units. The development of 512 the present units has been reported in various MSc theses at Delft University 513 of Technology (repository.tudelft.nl). 514

#### 515 9. Conclusions

In total 177 test runs have been performed on a breakwater slope with an armour consisting of regularly placed single layer interlocking units. Different types of irregularities in the underlayer were applied, that could potentially influence the interlocking of the elements. Based on these tests the following conclusions have been drawn.

It is possible to measure the size of the underlayer irregularities and the resulting orientation of breakwater elements by 3D reconstruction techniques based on photogrammetry. Additionally the measurement technique was able to indicate movements in the surface, which marks the initiation of damage.

Based on the results of the hydraulic model tests it can be concluded that the level of stability for single layer breakwater elements decreases when the size of the irregularities increases. An increase in the height of the irregularities causes the relative angle between neighbouring elements to increase which can lead to a loss of interlocking. Furthermore it increases the steepness of the slope at the lower side of the irregularity, such that the under layer becomes less resistant against being pushed outward.

The armour layer shows a maximum sensitivity to damage for convex de-532 formations of the slope in the cross shore direction. A new failure mechanism 533 for initiation of damage, not previously observed for breakwater elements, has 534 been detected. This damage mechanism can occur when the armour layer 535 is located on a protruding (convex) irregularity under the mean water line. 536 During wave rundown the armour layer at this location is pushed outward 537 by a combined effect of the weight of the upper armour and the hydraulic 538 pressure of the remaining water under the top layer. The influence on the 539

stability is quantified well by a linear formula that depends on the relative angle between the elements, caused by the radius of the irregularity, and the steepness of the lower slope. The latter has only been seen to be of influence in the case of macro irregularities and thus seems to be insignificant for micro irregularities. The steepness of the downward slope depends on both the actual distance between the top of the irregularity and the design profile, and the length scale of the irregularity.

The presently applied criteria for the placement of the underlayer for an Xbloc<sup>Plus</sup> breakwater element is a maximum deviation from the design profile of 0.25 times  $D_n$  and a maximum deviation between succeeding measurements of 0.10 times  $D_n$ . These deviations from the design slope are small compared to the limiting value, such that the underlayer configuration will not influence the stability significantly.

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